

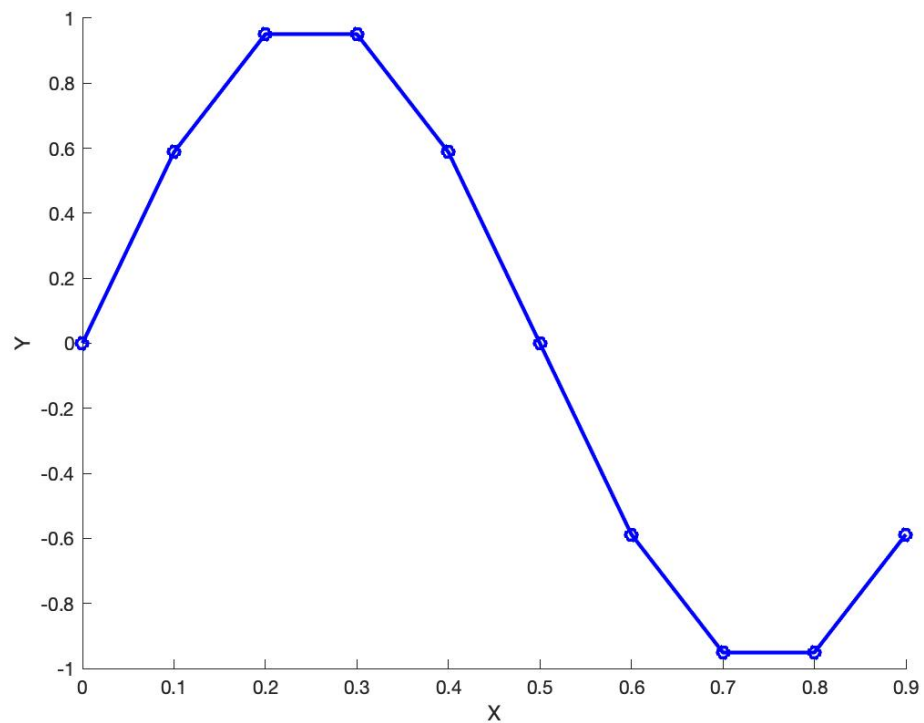
Assignment 5

Scientific Computing with MATLAB
due: Nov 5, 2019

Graphics in MATLAB

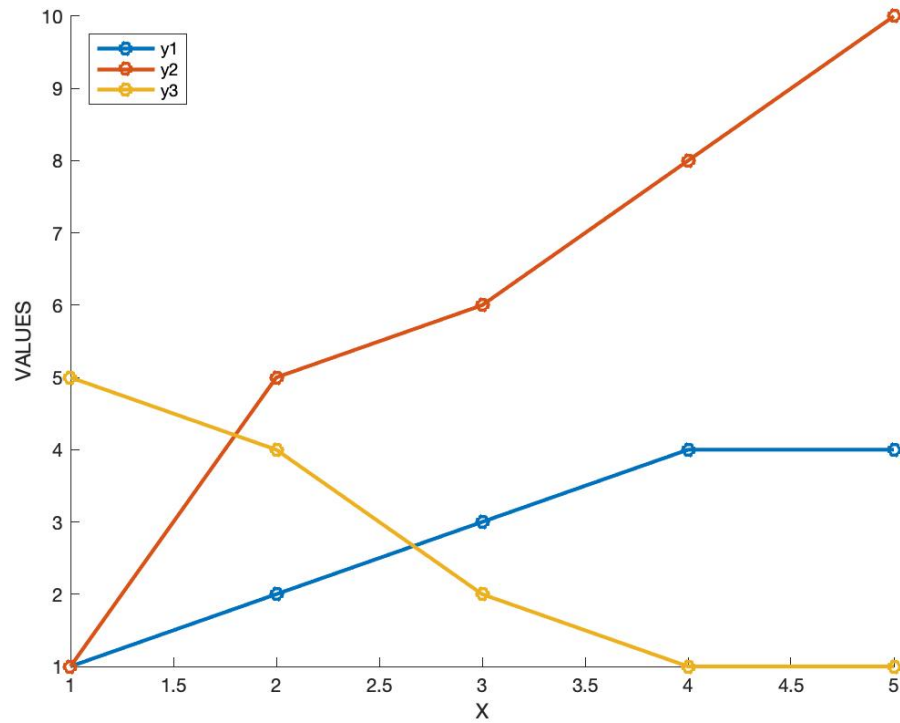
Questions 1,2,3,4,6 are worth 1 point and question 5 is worth 2 points.

1. Define a vector x containing 10 values starting at 0, ending at 0.9, in increments of 0.1. Define a vector y that is equal to $\sin(2\pi x)$. Generate a line plot with x on the horizontal axis and y on the vertical axis. Generate a plot using blue circles at each data point, connected by blue solid lines, with a line width of 2.0. Label the horizontal axis "X" and the vertical axis "Y".



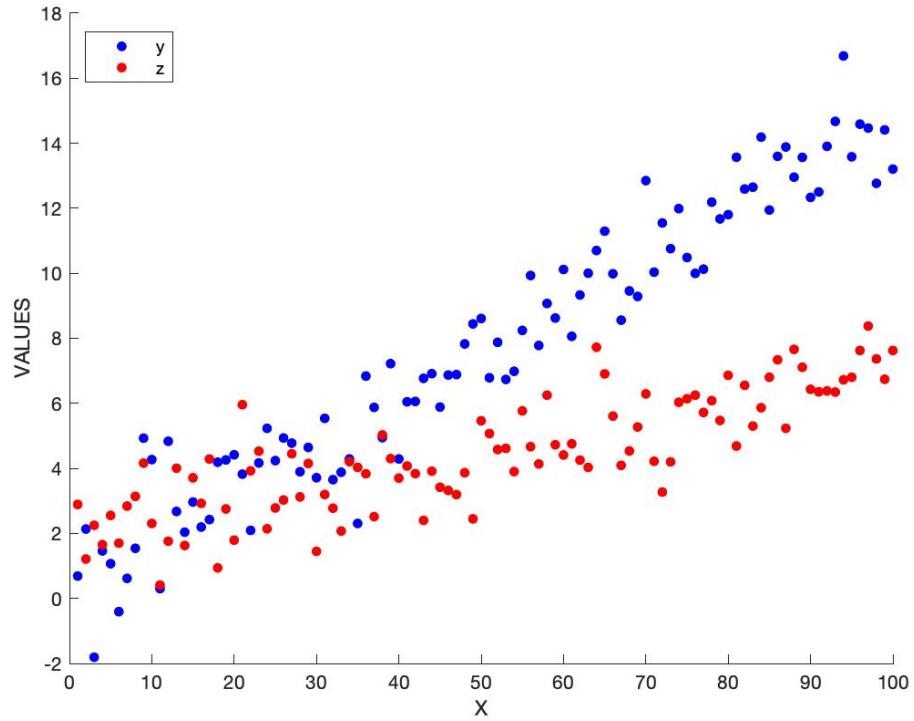
2. Define a vector x $[1, 2, 3, 4, 5]$. Define a vector $y1$ $[1, 2, 3, 4, 4]$, $y2$ $[1, 5, 6, 8, 10]$ and $y3$ $[5, 4, 2, 1, 1]$.

Generate a multi-line plot using open circles connected with solid lines. Label the horizontal axis "X" and the vertical axis "VALUES". Add a legend to the plot with labels "y1", "y2", and "y3".

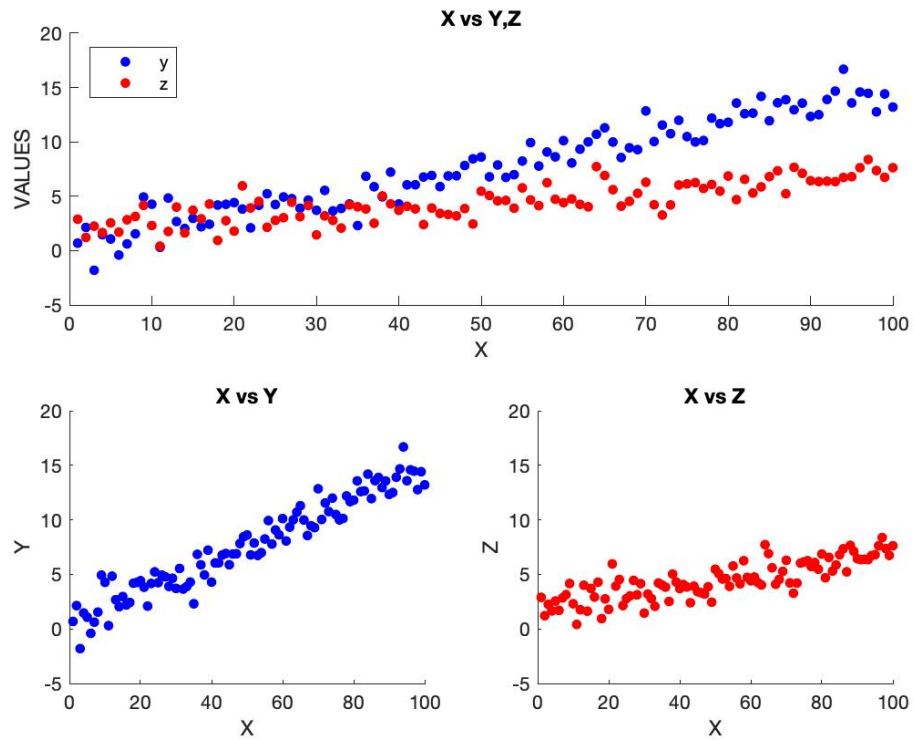


3. Define x as a vector starting at 1 and ending at 100 in increments of 1. Define y as a vector equal to $(x * 0.15) + N$ where N is a vector of random values chosen from a gaussian distribution with mean 0 and standard deviation 1. Let z be equal to $((x * 0.05) + 2) + N2$ where $N2$ is a vector of random values chosen from a gaussian distribution with mean 0 and standard deviation 1.5.

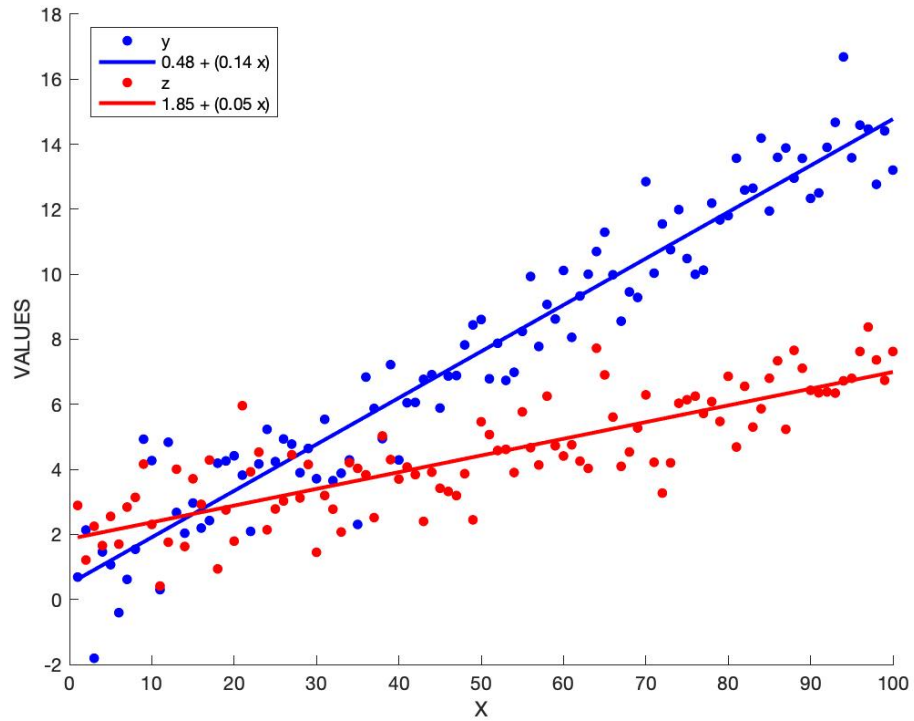
Generate a scatterplot of x vs y and x vs z , and include a legend. Label the horizontal and vertical axes as shown and include a legend as shown.



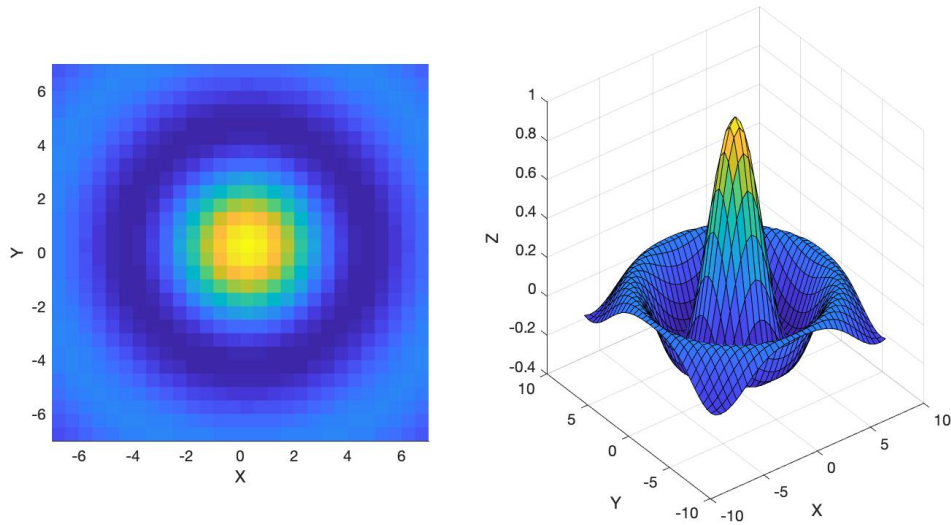
4. Replot the data from question 3 using subplots, as shown below. Be sure to use the indicated axis limits on all three subplots.



5. Regenerate the plot from question 3 and add regression lines to each dataset. Note there are many ways in MATLAB to fit a line to data, including the `fit` function, or the `polyfit` function, or even by doing the matrix algebra manually. There is also a GUI-based curve fitting tool called `cftool`. Use whatever method you wish. Add a legend and include the equations of the lines of best fit.



6. Define x and y over a grid $[-8, 8]$ in steps of 0.5 . Hint: use the `meshgrid()` function. If you've done it right, x and y should each be matrices with 33 rows and 33 columns. Define r equal to $\sqrt{(x^2 + y^2)} + 0.00001$. Define z as $\sin(r)/r$. If you've done it right, z should have the same dimensions as x and y (i.e. 33 rows by 33 columns). Generate a surface plot that looks like that shown below. Hints: the command `view(2)` will show a 2D top-down view of a surface plot. Hint: the plotting options `'edgecolor', 'none'` will get rid of the black lines between facets.



Please submit your MATLAB script to OWL.